

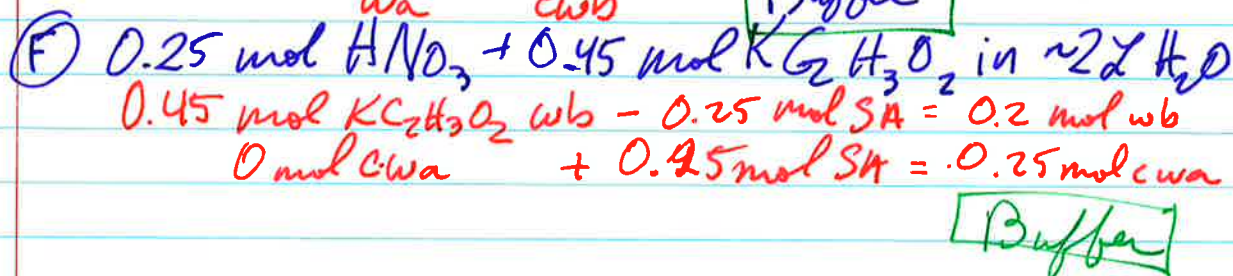
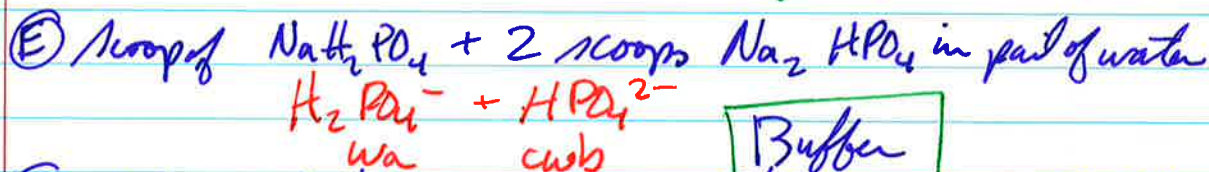
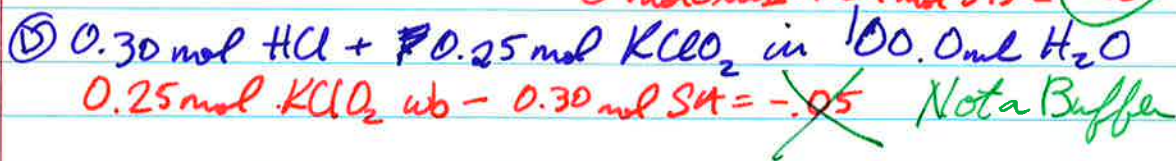
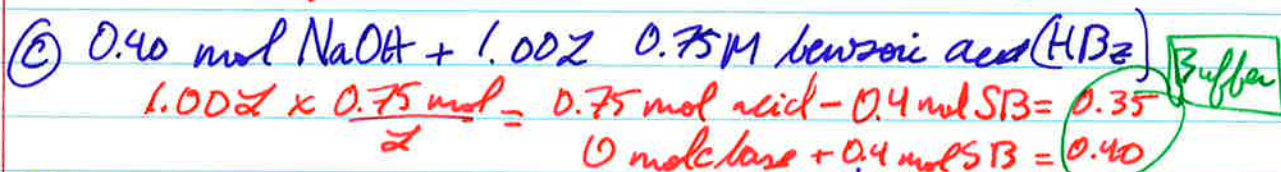
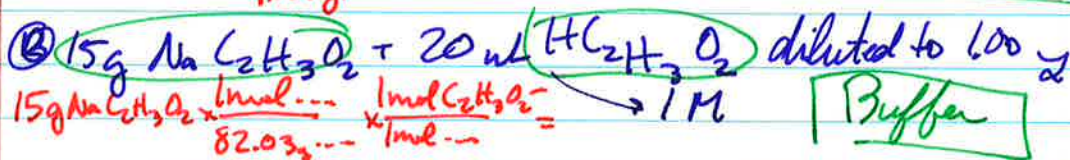
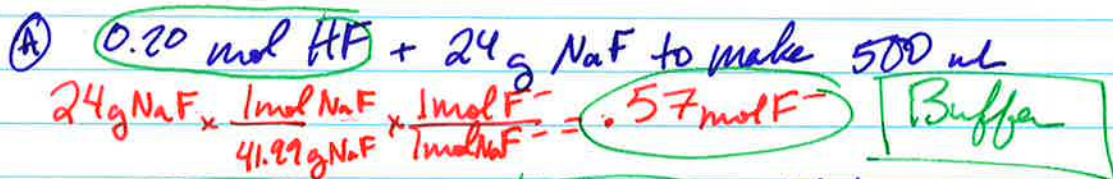
General Chemistry w/Doc M

Today Wednesday Section 16.6-16.9
3/1 Quiz 3

Thursday 3/2 Expt 7 Laptops!
Excel spreadsheet from Expt 6

Friday 3/3 No class!

is it a buffer?

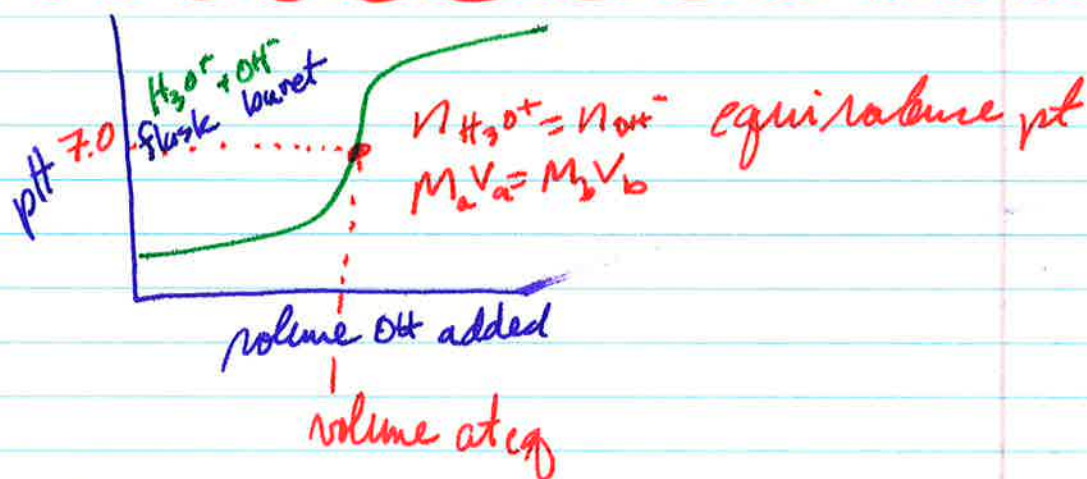


Buffer recipes

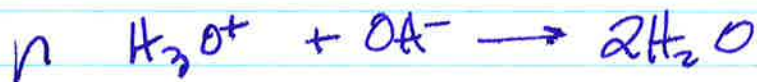
Recipe 1 mix wa + cb $pH = pK_a + \log\left(\frac{n_{wb}}{n_{wa}}\right)$

Recipe 2 ~~mix~~ wa + OH⁻ (ZR) $pH = pK_a + \log\left(\frac{n_{wa} + n_{OH^-}}{n_{wa} - n_{OH^-}}\right)$
React

Recipe 3 ~~mix~~ React w/ H₃O⁺ (ZR) $pH = pK_a + \log\left(\frac{n_{wb} - n_{H_3O^+}}{n_{wa} + n_{H_3O^+}}\right)$



for $S_a + S_b$ titration At eq pt $pH = 7$
 everywhere else, we do a NICE calc

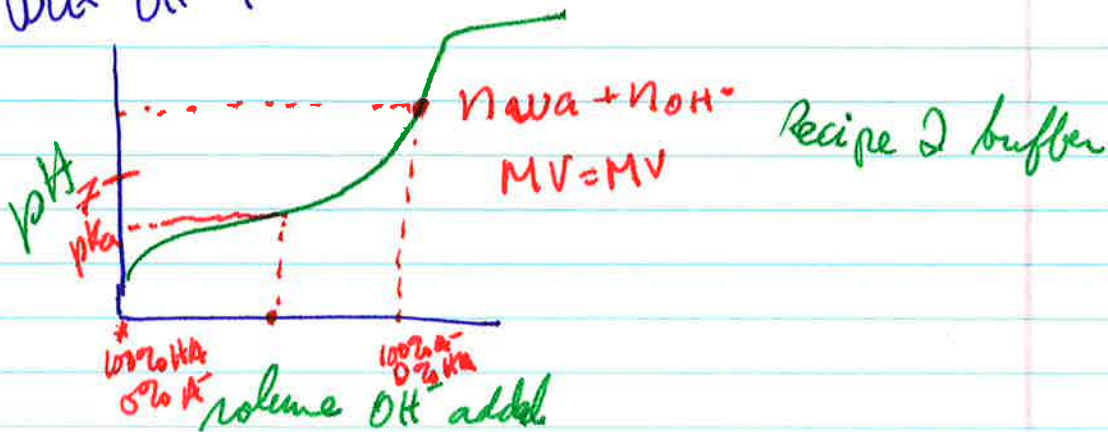


I $n = m_w$ $n = m_w$

C
E

if H_3O^+ is the excess $H_3O^+ = \frac{n_{H_3O^+}}{Vol_{H_3O^+}}$

Weak OH⁻ titration



$$pH = pK_a + \log \left(\frac{n_{mol} + n_{OH^-}}{n_{wa} - n_{OH^-}} \right)$$

$$n_{OH^-} = M_{OH^-} \times V_{OH^-}$$

$$n_{wa} = M_{wa} \times V_{wa} \quad \text{or} \quad n_{wa} = \frac{M_{wa}}{M_{M_{wa}}}$$

pK_a is on the graph
 at 1/2-way to equiv pt
 $pH = pK_a + \log(1)$
 $pH = pK_a$

Suppose 25.00 mL of HA is titrated with 0.1141 M NaOH and it takes 20.08 mL to reach the end pt.

① what is $[HA]$?

$$M_{HA} V_{HA} = M_{OH^-} V_{OH^-}$$

$$M_{HA} \cdot 25.00 = 0.1141 \frac{mol}{L} \times 20.08 mL$$

$$[HA] = M_{HA} = 0.0916 \text{ mol/L}$$

② Where do you find pK_a ? → at $\frac{20.08 \text{ ml OH}^-}{2}$

$$V_{\text{OH}^-} = 10.04$$

$$pK_a = 4.08 \text{ (slightly made up)}$$

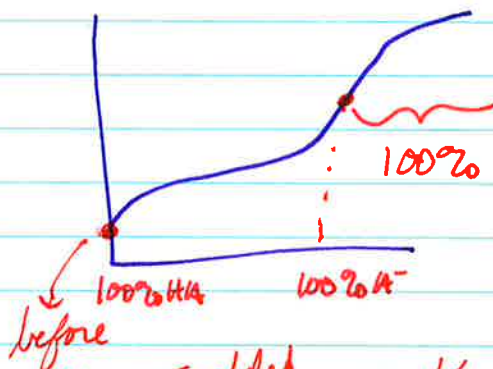
③ What is the pH after 8.00 ml OH^- added?

$$\text{pH} = pK_a + \log\left(\frac{0 \text{ mol} + n_{\text{OH}^-}}{n_{\text{HA}} - n_{\text{OH}^-}}\right)$$

$$= 4.08 + \log\left(\frac{0 \text{ mol} + 0.000913}{0.00229 - 0.000913}\right)$$

$$= 3.90$$

$$n_{\text{HA}} = M_{\text{HA}} \times V_{\text{HA}} = 0.0916 \frac{\text{mol}}{\text{L}} \times 0.0250 \text{ L} = 0.00229 \text{ mol}$$



any OH^- added → K_a MICE problem (400 ml)

At eq pt, how to determine pH (> 7)
100% A^-

$$[\text{A}^-] = \frac{n_{\text{A}^-}}{V_{\text{total}}} = \frac{0.00916 \text{ mol}}{25.0 \text{ ml} + 20.08 \text{ ml}}$$

Chp 15 weak base problem, K_b , MICE 400 ml

